

Pressure-Dependent Models in Ship Piping Systems

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Abstract

This paper aims to evaluate the feasibility of pressure-dependent models in the design of ship piping systems. For this purpose, a complex ship piping system is designed to operate in firefighting and bilge services through jet pumps. The system is solved as pressure-dependent model by the piping system analysis software EPANET and by a mathematical approach involving a piping network model. This results in a functional system that guarantees the recommendable ranges of hydraulic state variables (flow and pressure) and compliance with the rules of ship classification societies. Through this research, the suitability and viability of pressure-dependent models in the simulation of a ship piping system are proven.

Keywords Pressure-dependent models · Ship piping systems · Bilge systems · Firefighting systems · Piping network models

1 Introduction

Ship piping systems (SPSs) are piping networks that intervene in most of a vessel's functions and might represent an important part of the cost and total weight of a vessel (Taylor 1996; Eyres and Bruce 2012; Asmara 2013). The design and production of these systems is considered by some specialists as one of the most complex tasks in shipbuilding (Cassee 1992; Li et al. 2010).

In the design phase of SPSs, predicting the distribution of flows and pressures in the network is often necessary and is achieved by solving a nonlinear equation system that constitutes the piping network model.

In demand-dependent models, pre-establishing the demand of the piping system (inflow or outflow) is necessary (Todini

2003; Elhay et al. 2015). This procedure can lead to mathematically correct solutions; however, the demand actually leaves the system through orifices, and flow is therefore determined by orifice opening (emitting node) and pressure (Walski et al. 2017). This fact has led to the development and increasing application of pressure-dependent models (PDMs), in which a relationship between the demand and pressure at the emitting nodes is established (Elhay et al. 2015). The most common flow-pressure relationship is based on the discharge of the flow through an orifice (Rossman 1994), as will be seen in Section 3.

PDMs are currently a subject of great interest in the field of water distribution systems (Tanyimboh et al. 2003; Sayyed et al. 2015; Walski et al. 2017). However, in this branch, controlling all domestic emitters is practically impossible; instead, each emitting node of the model constitutes a consumption area. In contrast, in the SPSs, there are generally well-defined emitting elements, such as open pipe exits, orifice exits, tank discharges, hose nozzles, hydro shields, sprinklers, injectors, and water/foam branchpipes.

In the naval sphere, special attention is given to the following: (i) to guarantee the recommended ranges of hydraulic state variables (flow and pressure), (ii) to comply with the rules of ship classification societies, (iii) to reduce the costs and weights of SPSs, and (iv) to establish a better distribution of SPSs (Kang et al. 1999; Kim et al. 2013; Jiang et al. 2015; Molina et al. 2017). Then, pre-establishing the demands by arbitrary, intuitive, or conservative rules would make difficult the optimal design of the system based on the aspects mentioned below or, even worse, could result in a nonfunctional system.

Article Highlights

- Pressure-dependent models avoid the design of ship piping systems by means of arbitrary, intuitive, or conservative rules.
- The relationships between pressure and flows in the emitting nodes are established, rather than predefining the demand of the system.
- In contrast to water distribution systems, in the naval sphere, the emitting components are usually known; therefore, pressure-dependent models are very viable.

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In this work, a complex SPS is designed. It can operate in jet pumps used in the firefighting and bilge services. The system is solved as a PDM by the piping system analysis software EPANET (Rossman 1994) and by a mathematical approach based on a piping network model. This results in a functional system that also guarantees the recommended ranges of the flow variables and complies with the rules of the Ship Classification Society Bureau Veritas (2009). Through this research, the suitability and viability of the PDMs in the simulation of the SPSs are proven.

2 Design Aspects

To not divert attention from the main objective, only some considerations for the design of the fire protection and bilge system are mentioned below.

2.1 General Characteristics of the Ship

The characteristics of the ship are presented in Table 1.

2.2 Firefighting System

The addition of a manual control monitor branchpipe as part of the firefighting system is required. According to the manufacturer, the branchpipe operates in optimum conditions between 70 and 120 m of pressure head. It is recommended that the flow velocity in the system does not exceed 5 m/s, to avoid high head losses. Cavitation of the flow must be avoided.

According to the Bureau Veritas rules (2009), relief valves should be placed and adjusted in a way to prevent excessive pressure in any part of the fire main system.

2.3 Bilge System

The selected pump for the firefighting system should be used in the bilge of a compartment. In the same way, velocities higher than 5 m/s and cavitation of the flow must be avoided.

According to the Bureau Veritas rules (2009), each required bilge pump must have a capacity such that the velocity,

in the main bilge pipe, whose diameter is calculated by Equation (1), must not be less than 2 m/s.

$$d = 25 + 1.68\sqrt{L(B+D)} \quad (1)$$

where L , B , and D are the length, breadth, and molded depth, respectively, in m, and d is the internal diameter of the bilge main, in mm.

The internal diameter of pipes situated between the main bilge pipe and suction wells, in mm, is not to be less than the diameter, given by:

$$d_1 = 25 + 2.16\sqrt{L_1(B+D)} \quad (2)$$

where L_1 is the length of the compartment, in m.

3 Design and Simulation of the Firefighting and Bilge System

In the first instance, the system shown in Figure 1 is designed. It can be utilized in firefighting by opening the valves located in pipes 3 and 12 and closing the valves located in pipes 4 and 7, which allows the suctioning of water from the sea chests and discharging by the water branchpipe. In pipe 10, a relief valve is installed, which in case of excessive pressures releases flow through the open pipe exit in broadside (pipe 6).

For the bilge service, the valves located in pipes 3 and 12 are closed, and the valves in pipes 4 and 7 are opened, which allows suctioning from the wells and discharging through pipe 6.

The pipe and node data of the piping system are shown in Table 2.

The selected monitor is manually controlled, with 75 mm diameter (see Figure 2). Monitor performance is determined by the relationship between the flow and head loss in the monitor; this relationship is adjusted using Equation (3).

$$hf = 5544Q^2; R^2 = 0.9964 \quad (3)$$

where hf is the head loss in the monitor, in m; Q is the flow, in m^3/s ; and R^2 is the determination coefficient, dimensionless.

As mentioned in the introduction, in this paper, we use the flow-pressure relationship based on the discharge of the flow through an orifice:

$$Q_d = K\sqrt{P/\gamma} \quad (4)$$

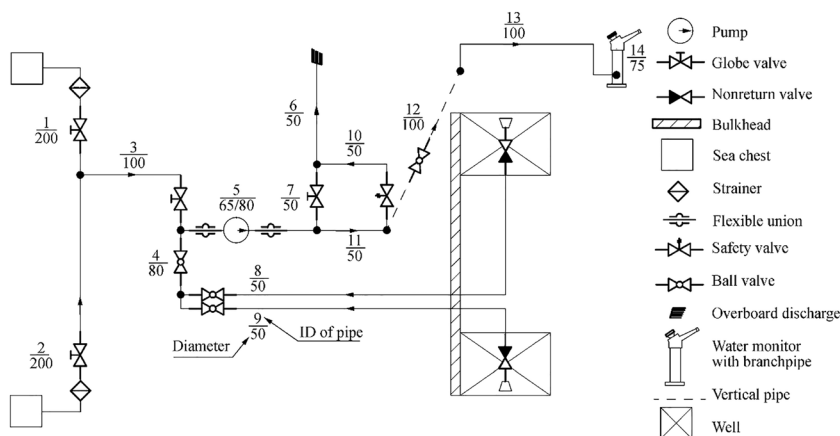
where K is the flow coefficient, in $\text{m}^3/(\text{s} \cdot \sqrt{\text{m}})$, which is usually determined by experiments for each emitting node; Q_d is the demand, in m^3/s ; P is the pressure at the emitting node, in N/m^2 ; and γ is the specific weight, in N/m^3 .

The selected branchpipe has 75 mm diameter (Figure 2), with a flow coefficient of $2.125 \times 10^{-3} \text{m}^3/(\text{s} \cdot \sqrt{\text{m}})$ ($127.711/(\text{min} \cdot \sqrt{\text{m}})$).

Table 1 General characteristics

Parameter	Value
Length (m)	35
Breadth (m)	10
Molded depth (m)	5
Maximum displacement (t)	160

Figure 1 Principle diagram of firefighting and bilge system, diameter in millimeters



The selected centrifugal pump 65/260 at 2900 rpm is represented by plots of pressure head vs. flow (Figure 3) and the net positive suction head required (NPSH_R) vs. flow (Figure 4).

To ensure that two systems operate in accordance with the requirements, both are simulated using EPANET (Rossman 1994).

As usual, the accessories (valves, elbows, strainers, and others) are introduced into the model by means of loss coefficients (K_{acc}) (Table 2). The monitor is represented by a general-purpose valve; through this valve, Eq. (3) is declared. The emitters, such as the branchpipe and open pipe exit in the broadside, are represented by flow coefficients (K).

Table 2 Pipe and node data of the piping network

ID of pipe	L (m)	D (mm)	K_{acc}
1	4.0	200	5.24
2	4.0	200	5.24
3	0.5	100	6.09
4	Valve	80	7.08
5	Pump	Pump	Pump
6	2.0	50	1.14
7	Valve	50	7.64
8	11.5	50	1.92
9	12.0	50	1.92
10	0.5	50	12.00
11	0.5	100	0.38
12	7.5	100	0.59
13	4.6	100	0.81
14	Branchpipe	75	Branchpipe

Notes: The total heads of the sea chests and wells are 1 m and 0 m, respectively. All nodes have 1 m of elevation, except the nodes that constitute pipe 13, with 8.5 m, as well as those that constitute the branchpipe and overboard discharge, with 10.1 m and 2 m, respectively. Through Equation (1), 63 mm of diameter is obtained for the main bilge pipe (pipe 4), transformed to 80 mm. According to Equation (2), the bilge branch diameter is 50 mm. The roughness coefficient of Willians Hazen is 125 (galvanized steel) (Sotelo 1982)

The K of the open pipe exit, according to Molina et al. (2017), can be determined as shown in Equation (5).

$$K = \sqrt{\frac{A^2 2g}{K_{acc}}} \quad (5)$$

where g is the gravity, in m/s^2 ; A is the pipe section area, in m^2 ; and $K_{acc} = 1$ (to open pipe exit). Considering that pipe 6 has 50 mm diameter, $K = 8.7 \times 10^{-3} m^3/(s \cdot \sqrt{m})$ ($522 l/(min \cdot \sqrt{m})$).

3.1 Simulation Results

Figure 5 a and b show the results of firefighting and bilge system simulation using EPANET.

Then, in the firefighting system, the operating pump was $1.8 \times 10^{-2} m^3/s$ (1078 l/min) and 85.81 m. As can be checked, the flow velocity did not exceed 5 m/s. At the inlet of the relief valve, there was 84 m of pressure head; then, the relief valve was preset at 93 m (10% of the working pressure). In the discharge of the branchpipe, there was 71.5 m, in accordance with the manufacturer's recommendations. According to

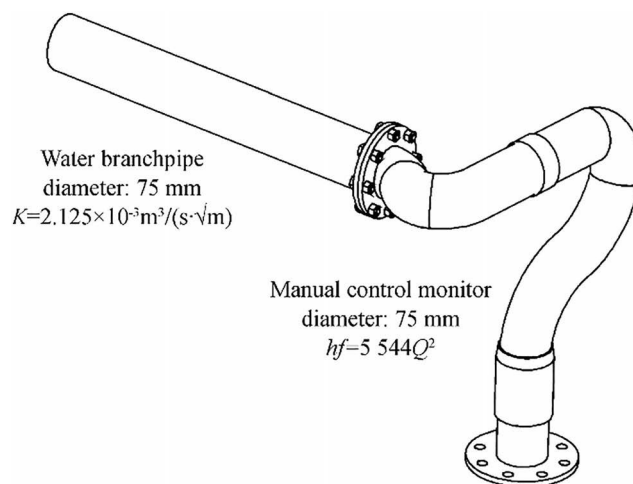


Figure 2 Manual control monitor branchpipe

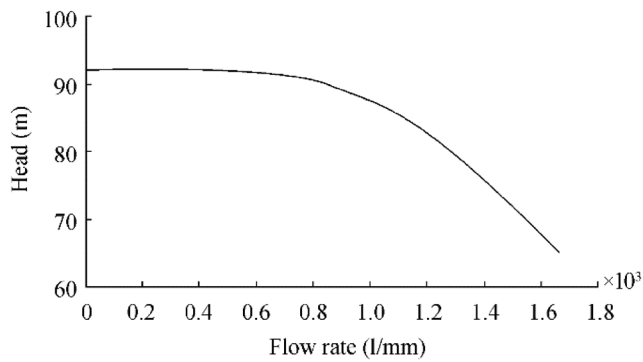


Figure 3 Pressure head vs. flow curve

Figure 4, the $NPSH_R$ (1078 l/min) ≈ 2.15 m, and the $NPSH_A$ is obtained as follows:

$$NPSH_A \left(1078 \frac{\text{l}}{\text{min}} \right) = \frac{P_{\text{atm}}}{\gamma} - Z - hf - \frac{P_v}{\gamma} = 8.41 \quad (6)$$

where P_{atm} is the atmospheric pressure, in N/m^2 ; Z is the difference between the suction and eye of the pump, in m; and P_v is the vapor pressure of the water, in N/m^2 .

So that $NPSH_A > NPSH_R$ and no cavitation occurs in the pump. Thus, requirements in the Section 2.2 are met. Note that in this system, the PDM expression is essential; otherwise, significant assumptions would be required to pre-establish the demand, resulting in uncertainties in each of the exposed requirements. In addition, it would make difficult the optimal design of the system taking into account costs, weights, and distribution; even worse, a nonfunctional system could result.

In the bilge system (Fig. 5b), the pressure head on the suction side of a pump was -14.79 m, which indicates, without the need to analyze the NPSH, that cavitation occurs, because the value is even below that of the absolute zero pressure. This pressure, although impossible in reality, solves the system, and it is due mainly to the following: (i) the system has a large part of its design in the suction side of the pump, while in the discharge side, there is practically no resistance; (ii) the pump is oversized to operate in this system. Both reasons lead to an inadmissible pressure gradient.

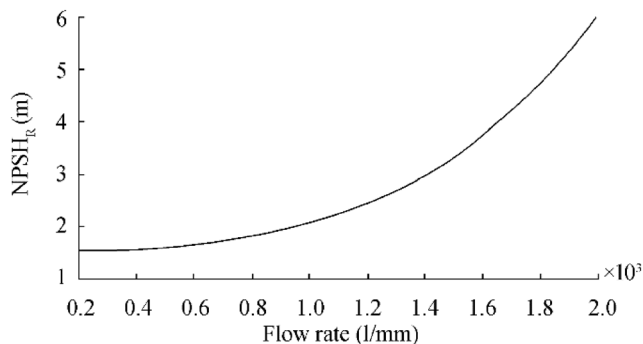


Figure 4 $NPSH_R$ vs. flow curve

To utilize a firefighting pump in the bilge service, the use of jet pumps is an alternative, which is mentioned in the Bureau Veritas rules (2009). In this variant, the firefighting pump drives water from the sea chests to the jet pumps. In the jet pumps, a sub-atmospheric pressure that allows to suction water from the wells is generated, to subsequently discharge the water into the sea. According to Katen (2007), firefighting pumps are usually used in bilge systems with jet pumps, due to the high pressures required.

In Figure 6 and Table 3, the design of the bilge system with jet pumps is shown. One jet pump is conceived for each well. Note that the flows arrive to jet pumps via pipes 8 (main flow 1) and 9 (main flow 2). These flows should produce the sufficient sub-atmospheric pressure to suction flow through pipes 6 (secondary flow 1) and 7 (flow secondary 2). According to the Bureau Veritas rules (2009), the traditional bilge system must guarantee at least 2 m/s in the main bilge pipe (with a diameter of 60 mm), which is equivalent to $5.7 \times 10^{-3} \text{ m}^3/\text{s}$ (339 l/min). To maintain that evacuation capacity, the sum of the two secondary flows must not be less than $5.7 \times 10^{-3} \text{ m}^3/\text{s}$.

Unfortunately, EPANET does not have the capacity to include jet pumps, and programs that allow the simulation of jet pumps as part of a piping network are unknown. Then, for modeling the bilge system with jet pumps, employing the mathematical model is necessary.

3.2 Mathematical Model of the Bilge System with Jet Pumps

Numerous studies, such as Fuertes et al. (2002) and Boulos et al. (2006), describe in detail the different piping network models. In this section, a piping network model with node equation formulation is employed, since few equations are required to define the networks.

3.2.1 Piping Network Model with Node Equations Formulation

The model is a system of nonlinear equations with total head unknowns, resulting from the conservation equations of mass at nodes in terms of nodal heads (Boulos et al. 2006). Expressing the head loss equation in a generic form results in:

$$H_j - H_i = rQ^n + \frac{K_{\text{acc}}}{A^2 2g} Q^2 \quad (7)$$

where H_j and H_i are the total heads at nodes j and i , respectively, in m; the first term on the right-hand side is associated with the head losses in the straight pipes; r and n depend on the loss equation selected. The second term is associated with the losses in accessories.

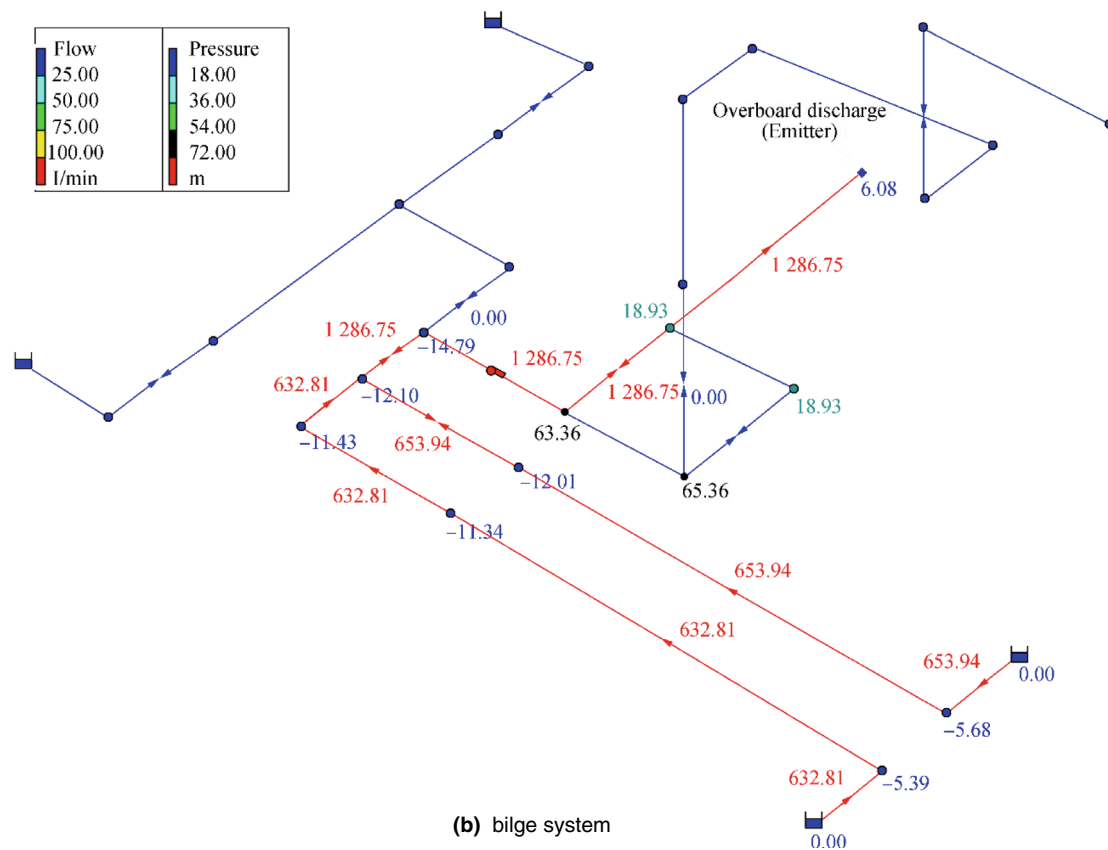
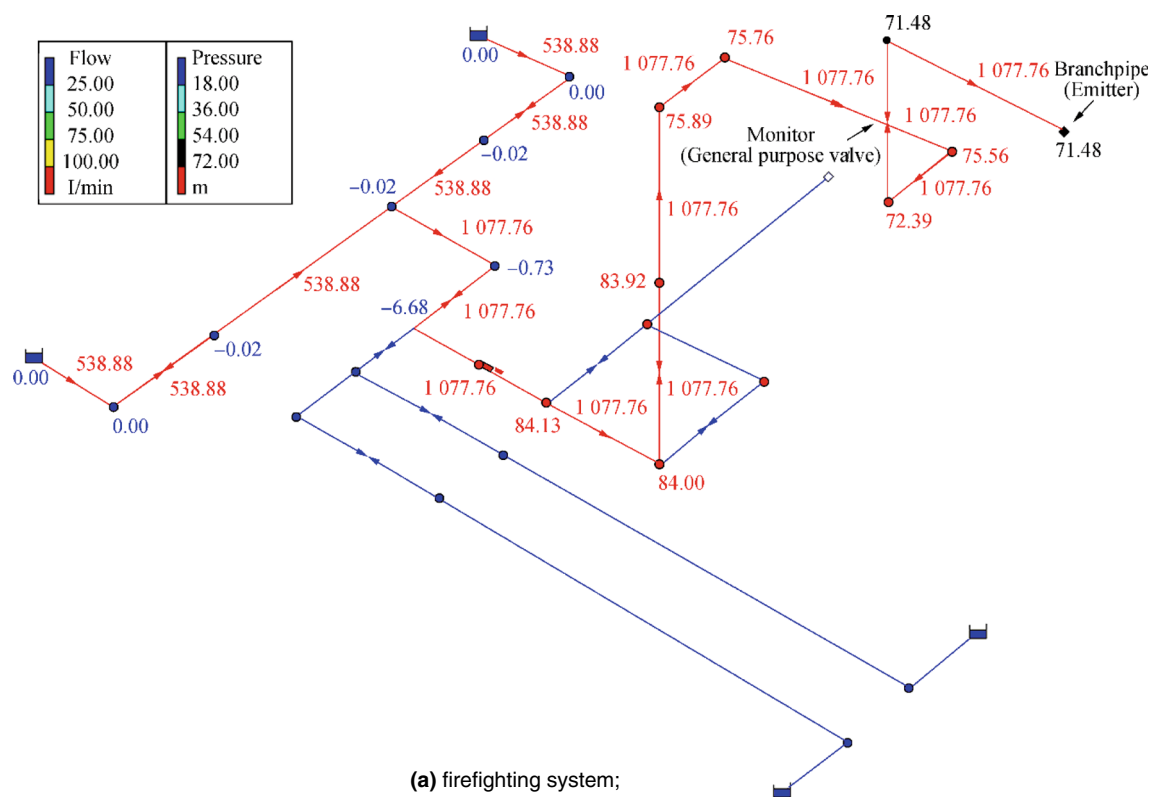
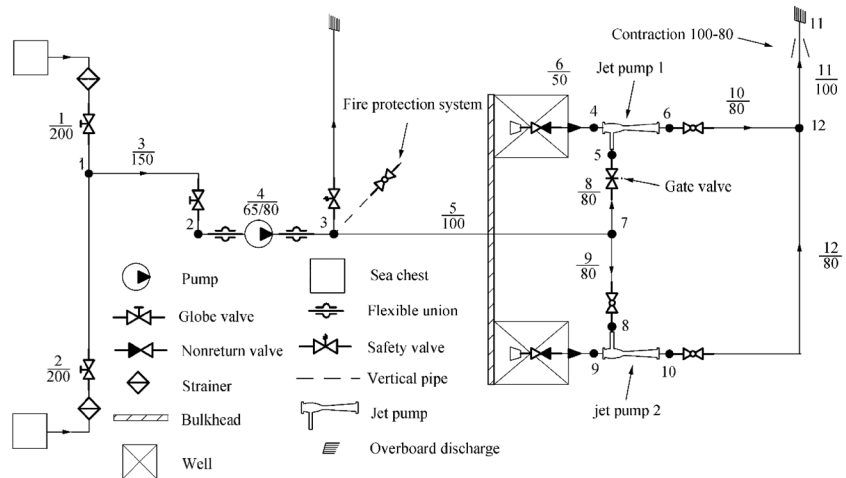


Figure 5 Modeling results

Figure 6 Principle diagram of the bilge system with jet pumps, diameter in millimeters



If the Manning equation is used, then Equation (7) can be expressed as:

$$H_j - H_i = \left(\frac{10.29Ln^2}{D^{5.33}} + \frac{K_{acc}}{A^2 2g} \right) Q^2 \quad (8)$$

where L is the length of pipe, in m; n is Manning's roughness coefficient, dimensionless; and D is the pipe diameter, in m. Isolating Q in Equation (8) and replacing in the conservation equation of mass results in Equation (9), which is the fundamental equation in this model.

$$\sum_{l=1}^{J_{in,i}} \alpha_l (H - H_i)^{1/2} - \sum_{l=1}^{J_{out,i}} \alpha_l (H_i - H)^{1/2} = q_i \quad (9)$$

with:

Table 3 Pipe and node data of piping system

ID of pipe	L (m)	D (mm)	K_{acc}
1	4.0	200	5.24
2	4.0	200	5.24
3	0.5	150	7.36
4	Pump	Pump	Pump
5	8.0	100	1.02
6	0.5	50	1.86
7	0.5	50	1.86
8	2.5	80	15.08
9	2.5	80	1.13
10	1.0	80	1.13
11	2.0	100	1.42
12	6.0	80	0.94

Notes: The total head of the sea chests and wells are 1 m and 0 m, respectively. All nodes have 1 m of elevation, except those of the overboard discharge with 2 m. Manning's roughness coefficient is 0.011 (smooth steel) (Walski et al. 2003)

$$\alpha_l = \left(\frac{10.29Ln^2}{D^{5.33}} + \frac{K_{acc}}{A^2 2g} \right)^{-1/2} \quad (10)$$

where q_i is the demand at node i , in m^3/s ; $J_{in,i}$ and $J_{out,i}$ are the numbers of the inflow pipes and outflow pipes respect to node i ; and H is the node head that jointly with H_i constitutes the pipe l .

Equation (11) is a power curve fitting of the centrifugal pump curve of Figure 3 (Q in m^3/s). Similarly, the flow of (11) is isolated and incorporated in (9) for the nodes connected to the pump.

$$H = 92 - 3.817 \times 10^6 * Q^{3.302}; R^2 = 0.996 \quad (11)$$

3.2.2 Jet Pump Model

Elger et al. (1991) developed a model used to simulate jet pumps in networks. The model is composed of the empirical curves f_1 and f_2 , which are dependent on the flow fraction Q_s/Q_d (Figure 7). The product of these two curves with the velocity head in the discharge of the jet pump (point 4, Figure 7) determines the head losses between 1 and 4 as well as 2 and 4. Applying the conservation of energy and mass in jet pumps results in:

$$H_1 - H_4 = f_1 \left(\frac{Q_s}{Q_d} \right) * \frac{V_4^2}{2g} \equiv f_1 \left(\frac{Q_s}{Q_d} \right) * \frac{Q_d^2}{2gA_4^2} \quad (12)$$

$$H_2 - H_4 = f_2 \left(\frac{Q_s}{Q_d} \right) * \frac{V_4^2}{2g} \equiv f_2 \left(\frac{Q_s}{Q_d} \right) * \frac{Q_d^2}{2gA_4^2} \quad (13)$$

$$Q_m + Q_s - Q_d = 0 \quad (14)$$

The use of the annular jet pump presented by Elger et al. (1991) is proposed, and its geometry is shown in Figure 7.

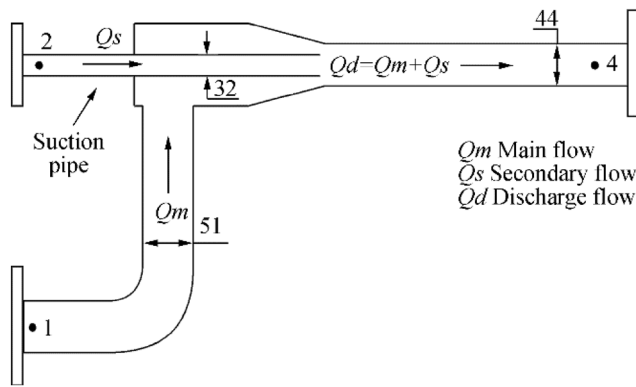


Figure 7 Annular jet pump geometry, dimensions in millimeters

Equations (15) and (16) are polynomial fittings of the experimental curves f_1 and f_2 , with determination coefficients of 0.9995 and 0.9997, respectively. However, the flows of Equations (15) and (16) cannot be isolated; then, the jet pumps cannot be expressed in terms of nodal heads, but through Equations (12)–(14).

$$f_1\left(\frac{Q_s}{Q_d}\right) = 1.35\left(\frac{Q_s}{Q_d}\right)^2 - 10.65\frac{Q_s}{Q_d} + 6.48 \quad (15)$$

$$f_2\left(\frac{Q_s}{Q_d}\right) = -3.63\left(\frac{Q_s}{Q_d}\right)^2 + 10.46\frac{Q_s}{Q_d} - 3.86 \quad (16)$$

3.2.3 Mathematical Model for the Bilge System with Jet Pumps

Equation (9) is applied to each node of the bilge system, resulting in Equations (17)–(34). See that Equations (18) and (19) correspond to nodes 2 and 3, which contain the pump equation. The open pipe exit to the atmosphere is represented in Equation (27), and it establishes the PDM. Equations (29)–(34) correspond to the jet pumps, with the flow as unknowns, as explained above. Then, 18 equations with 18 unknowns are obtained.

$$\alpha_1(H_{sc}-H_1)^{1/2} + \alpha_2(H_{sc}-H_1)^{1/2} - \alpha_3(H_1-H_2)^{1/2} = 0 \quad (17)$$

$$\alpha_3(H_1-H_2)^{1/2} - \left(\frac{H_3-H_2-92}{-3.817 \times 10^6}\right)^{1/3.302} = 0 \quad (18)$$

$$\left(\frac{H_3-H_2-92}{-3.817 \times 10^6}\right)^{1/3.302} - \alpha_5(H_3-H_7)^{1/2} = 0 \quad (19)$$

$$\alpha_6(H_w-H_4)^{1/2} - Q_{s1} = 0 \quad (20)$$

$$\alpha_8(H_7-H_5)^{1/2} - Q_{m1} = 0 \quad (21)$$

$$Q_{d1} - \alpha_{10}(H_6-H_{12})^{1/2} = 0 \quad (22)$$

$$\alpha_5(H_3-H_7)^{1/2} - \alpha_8(H_7-H_5)^{1/2} - \alpha_9(H_7-H_8)^{1/2} = 0 \quad (23)$$

$$\alpha_9(H_7-H_8)^{1/2} - Q_{m2} = 0 \quad (24)$$

$$\alpha_7(H_w-H_9)^{1/2} - Q_{s2} = 0 \quad (25)$$

$$Q_{d2} - \alpha_{12}(H_{10}-H_{12})^{1/2} = 0 \quad (26)$$

$$\alpha_{11}(H_{12}-H_{11})^{1/2} - K(H_{11}-Z_{11})^{1/2} = 0 \quad (27)$$

$$\alpha_{12}(H_{10}-H_{12})^{1/2} - \alpha_{11}(H_{12}-H_{11})^{1/2} + \alpha_{10}(H_6-H_{12})^{1/2} = 0 \quad (28)$$

$$Q_{m1} + Q_{s1} - Q_{d1} = 0 \quad (29)$$

$$Q_{m2} + Q_{s2} - Q_{d2} = 0 \quad (30)$$

$$H_4 - H_6 - f_2\left(\frac{Q_{s1}}{Q_{d1}}\right) * \frac{Q_{d1}^2}{2gA_4^2} = 0 \quad (31)$$

$$H_5 - H_6 - f_1\left(\frac{Q_{s1}}{Q_{d1}}\right) * \frac{Q_{d1}^2}{2gA_4^2} = 0 \quad (32)$$

$$H_9 - H_{10} - f_2\left(\frac{Q_{s2}}{Q_{d2}}\right) * \frac{Q_{d2}^2}{2gA_4^2} = 0 \quad (33)$$

$$H_8 - H_{10} - f_1\left(\frac{Q_{s2}}{Q_{d2}}\right) * \frac{Q_{d2}^2}{2gA_4^2} = 0 \quad (34)$$

where H_{sc} and H_w are the total head of the sea chests and wells, respectively. Q_{m1} , Q_{s1} , and Q_{d1} are the main flow, secondary flow, and discharge flow of jet pump 1, respectively. Moreover, Q_{m2} , Q_{s2} , and Q_{d2} are the main flow, secondary flow, and discharge flow of jet pump 2, respectively, and K is the flow coefficient of the open pipe exit ($2.2 \times 10^{-2} \text{ m}^3/(\text{s} \cdot \sqrt{\text{m}})$).

3.2.4 Solution of the Bilge System with Jet Pumps

The system of nonlinear equations is solved by the Levenberg-Marquardt algorithm (More 1977). The solution was found in iteration 230, with the value of the objective function (function tolerance) less than 1×10^{-10} .

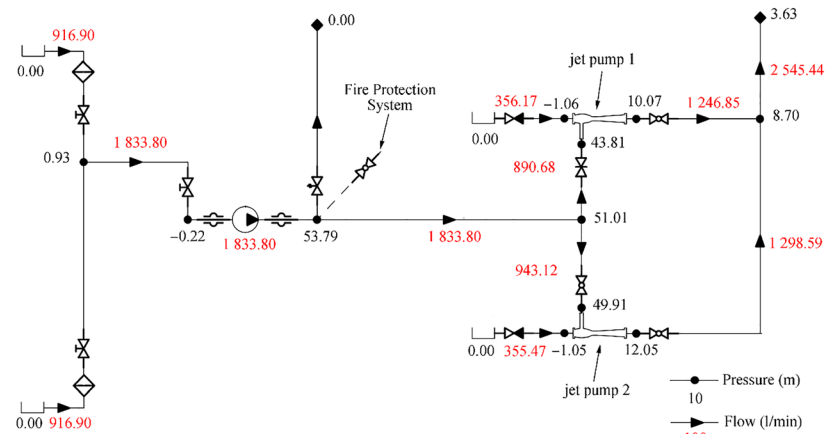
The results are shown in Figure 8. Because jet pump 2 has a greater resistance downstream (pipe 12) than jet pump 1 (pipe 10), the flow to jet pump 1 was significantly higher. Then, the gate valve of pipe 8 was regulated to an opening of 30% to balance the flows.

Notice that the pump operated at $3.14 \times 10^{-2} \text{ m}^3/\text{s}$ (1883.80 l/min) and 54.01 m, except in pipe 11 where 5 m/s, was reached, and the flow velocity was kept lower than this value.

According to Figure 4, the $\text{NPSH}_R(1883.80 \text{ l/min}) \approx 5.14 \text{ m}$, and the $\text{NPSH}_A(1883.80 \text{ l/min}) = 8.87 \text{ m}$, so that $\text{NPSH}_A > \text{NPSH}_R$ and no cavitation occurs in the pump. The sum of the secondary flows of the jet pumps was $1.19 \times 10^{-2} \text{ m}^3/\text{s}$ (711.64 l/min), higher than the flow required by the rules (339 l/min). According to Winoto et al. (2000), the efficiency of jet pumps is defined as:

$$\eta = \frac{Q_s * H_4 - H_2}{Q_m * H_1 - H_4} \quad (35)$$

Figure 8 Modeling results of the bilge system with jet pumps



Then, the efficiency of the jet pumps was about 13%, which is a typical efficiency for jet pumps, according to a study of commercial jet pump efficiency developed by Manzano (2008), although some authors have achieved efficiencies up to 45% (Feitosa et al. 1997). Thus, the exposed requirements in Section 2.3 were met.

As in the previous case, in this system, the expression of the PDM is fundamental. Consider the complexity of predefining the demand for a system with jet pumps in parallel, that is, to establish a demand-dependent model. In Section 3.1, the possible problems of a wrongly pre-established demand are mentioned. In addition, the erroneous operation of the jet pumps would prevent the bilge or allow the entry of water into the ship (reverse flow) in the case that the non-return valve fails.

4 Conclusions

In this work, the suitability of PDMs in the simulation of SPSs is demonstrated, since the relationships between pressure and flows in the emitting nodes are established, rather than predefining the demand of the system by means of arbitrary, intuitive, or conservative rules. In this way, PDMs contribute effectively to guarantee the systems functionality, the recommendable ranges of hydraulic state variables (flow and pressure), and compliance with the rules of ship classification societies.

In water distribution systems, where PDMs are widely applied, controlling all domestic emitters in the model is practically impossible; instead, each emitting node constitutes a consumption area, for which the relationships between flow and pressure must be determined. In contrast, this case study proves the viability of PDMs in the naval sphere, where the emitting components are usually known, as well as the relationships between the flow and the pressure of each emitting component.

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